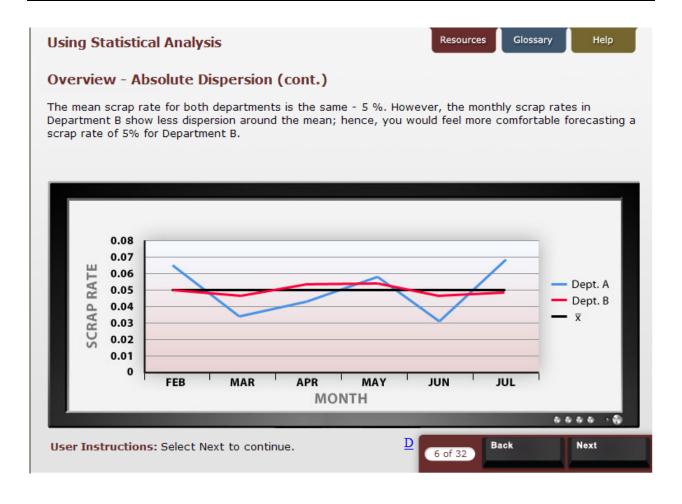
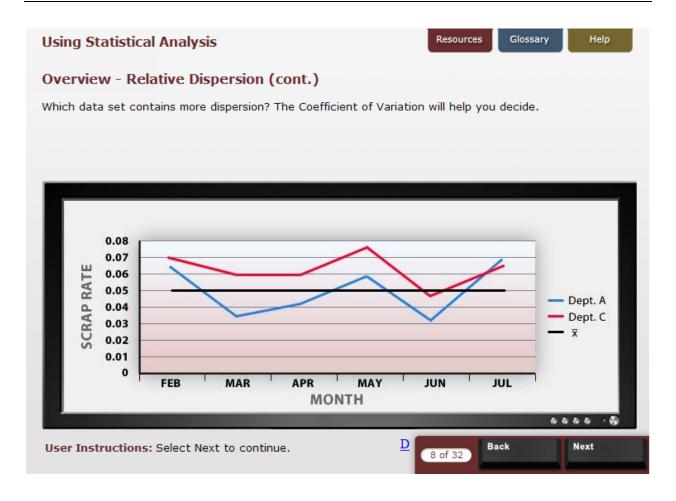
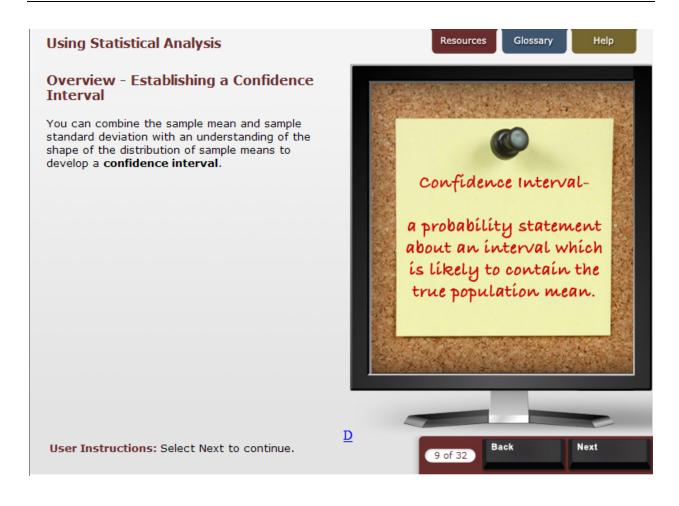


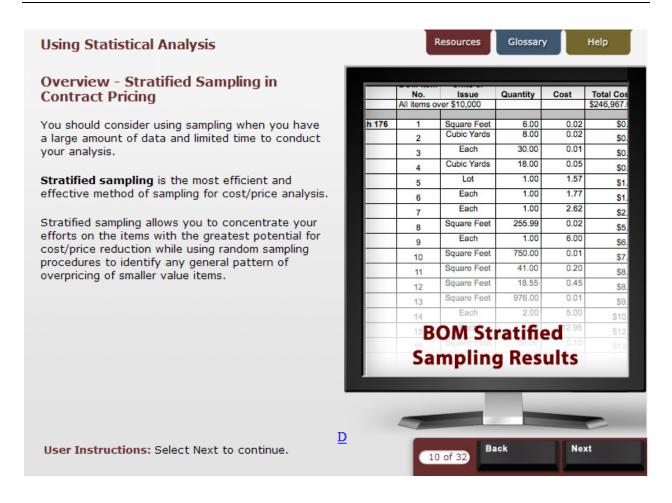
Resources Glossary Help **Using Statistical Analysis Overview - Measuring Dispersion** Although the mean for a data set is a value around which the other values tend to cluster, it conveys no indication of the closeness, or dispersion, of the clustering. There are several measures of absolute dispersion commonly used to describe the variation within a data set. This includes the range, mean absolute deviation, variance, and standard deviation. **Contractor Scrap Rate Data** Month Dept. A, Fabrication Dept. B, Assembly **February** .065 .050 March .035 .048 April .042 .052 .058 .053 May .032 .048 June July .068 .049 Total .300 .300 Mean .050 .050 Back Next User Instructions: Select Next to continue. 5 of 31

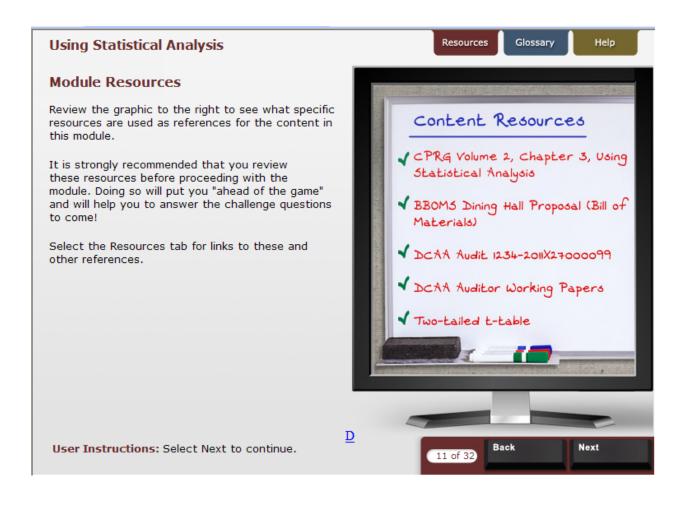


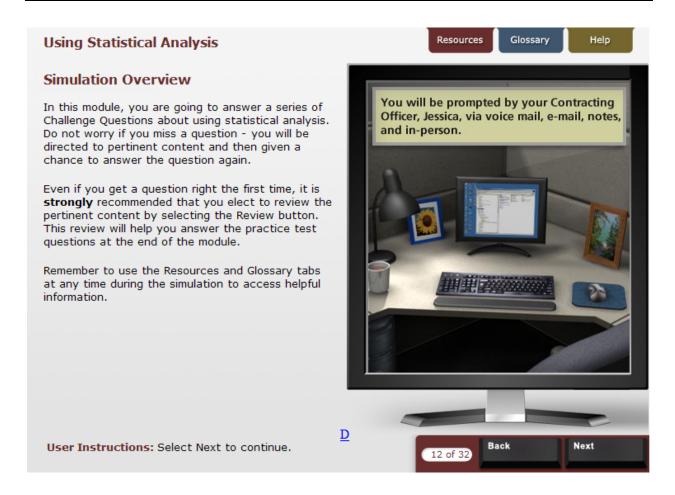
Resources Glossary Help **Using Statistical Analysis Overview - Relative Dispersion** One measure of relative dispersion, the coefficient of variation, is useful when the means of a data set are not equal. Here, you have Department A and Department C. The mean scrap rate for Department C is 5% and the mean scrap rate for Department C is 6.25%. Month Dept. A Dept. C February .065 .07 March .035 .06 April .042 .06 .058 May .075 June .032 .045 July .068 .065 Back Next User Instructions: Select Next to continue. 7 of 32





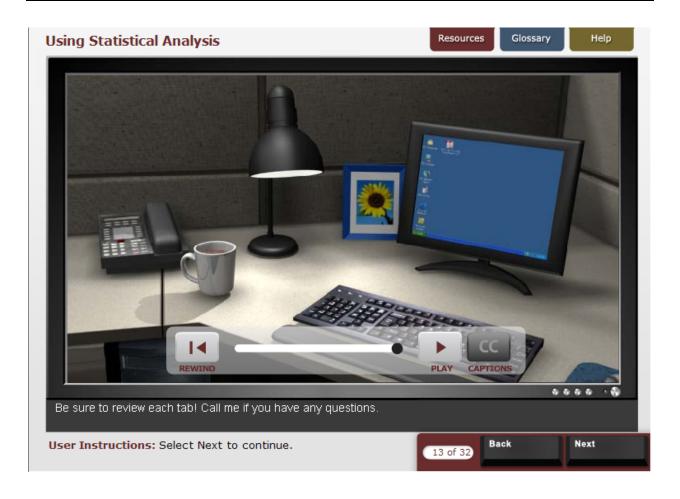












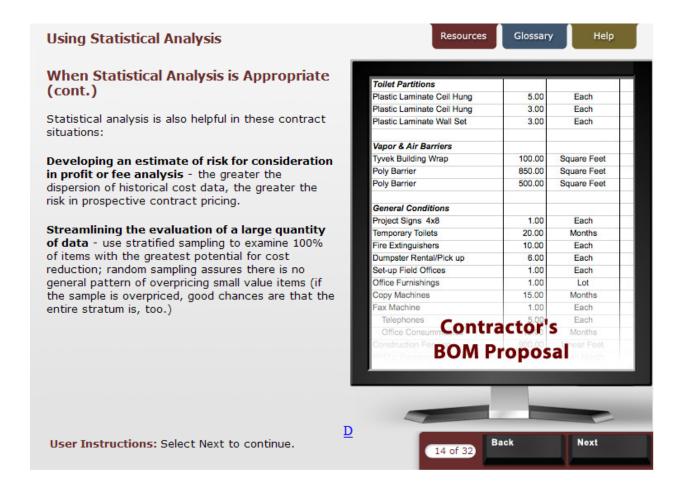


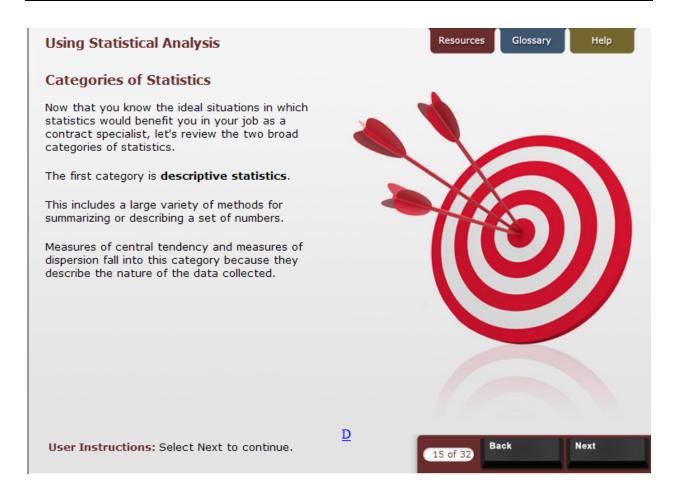
User Instructions: Select Next to continue.

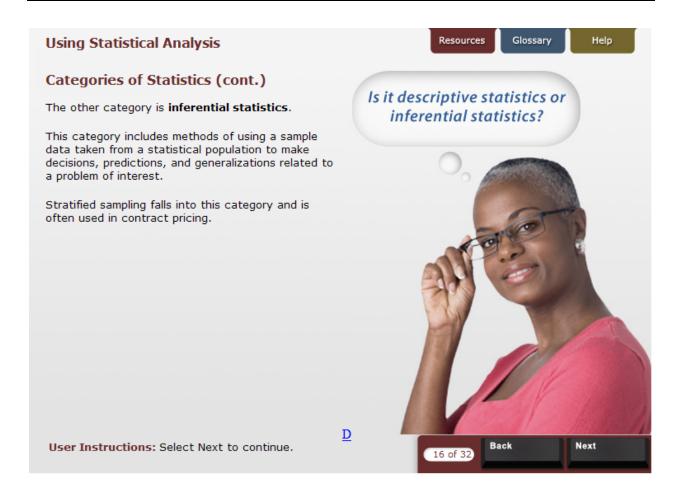
Next

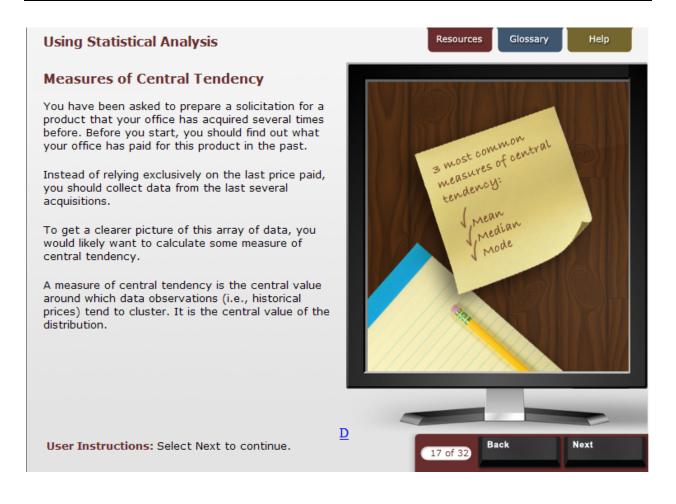
14 of 32

Glossary Help Resources **Using Statistical Analysis** When Statistical Analysis is Appropriate Statistical analysis can be very helpful in the following contract situations: Developing objectives for contract prices based on historical values - use statistical analysis to evaluate the historical data in making estimates for the future. Developing minimum and maximum price positions for negotiations - use statistical analysis to assess the cost risk involved and use that assessment in developing your negotiation positions. Developing an estimate of risk for consideration in contract type selection - if a pricing risk is so large on a firm fixed-price contract, consider a cost-reimbursement or incentive contract instead.

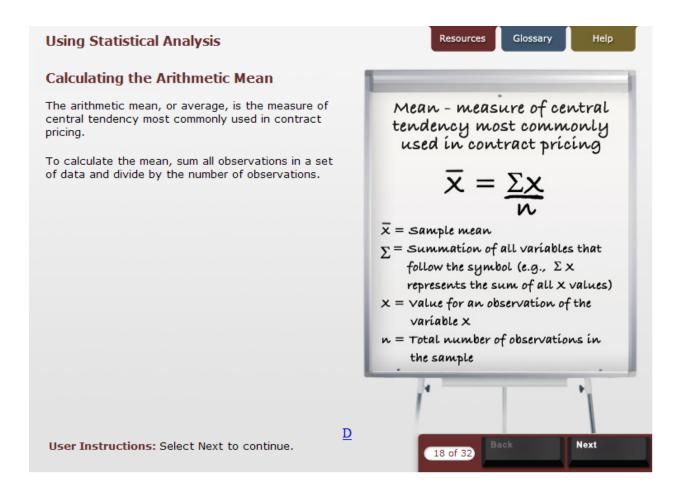


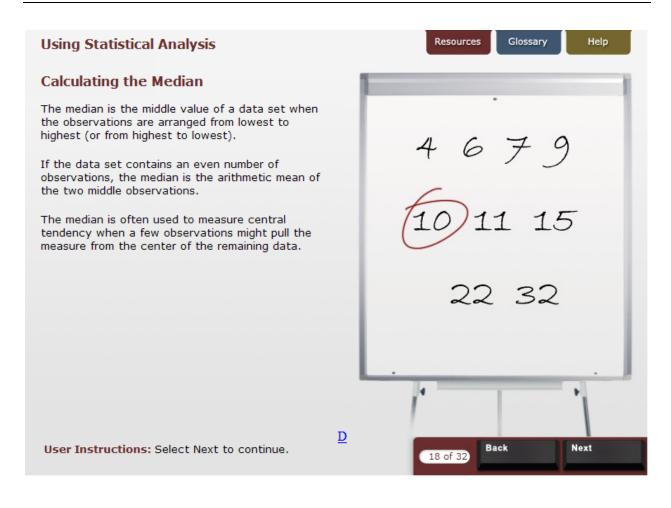


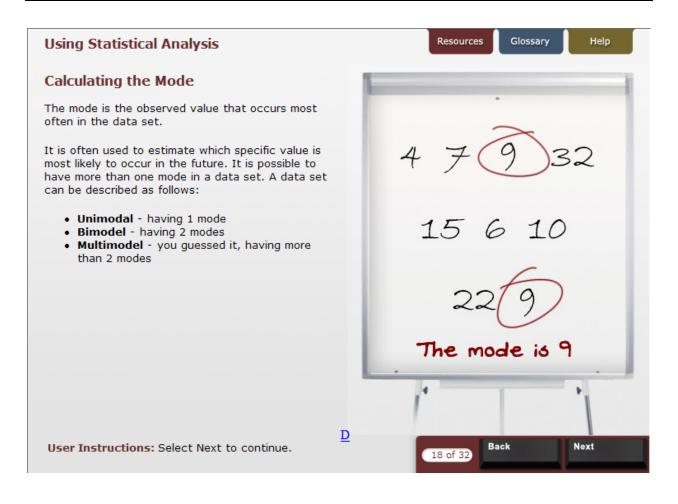


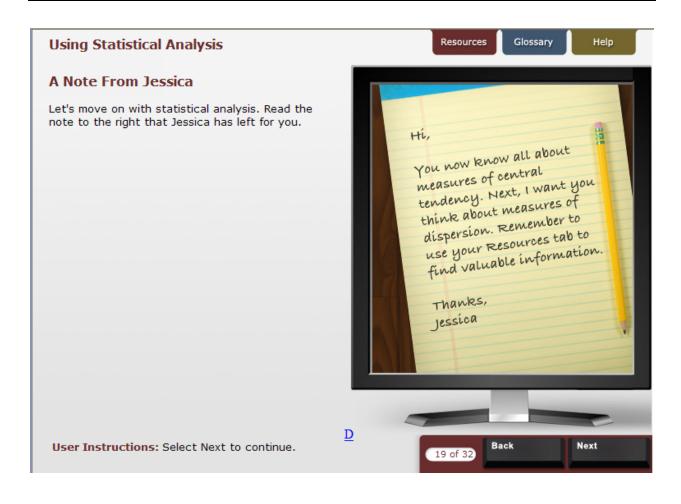


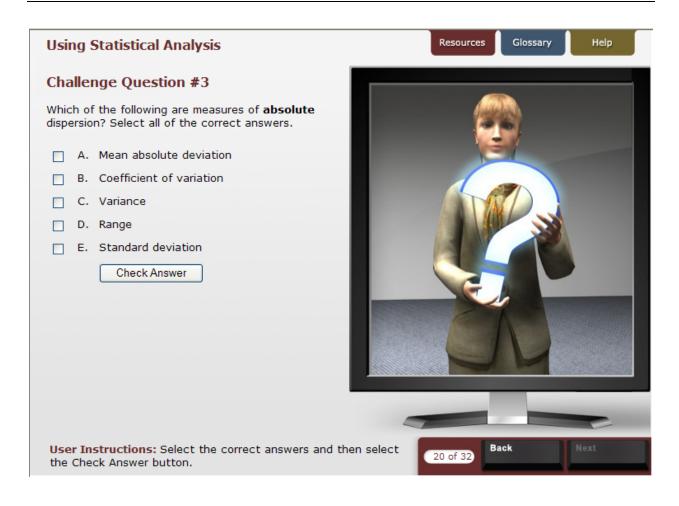


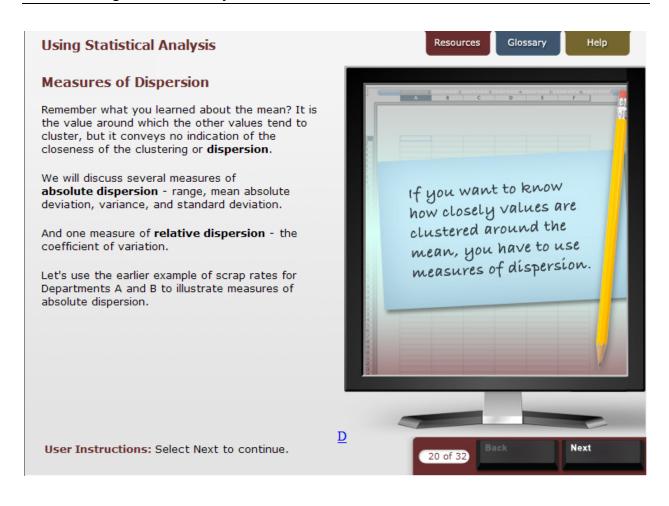


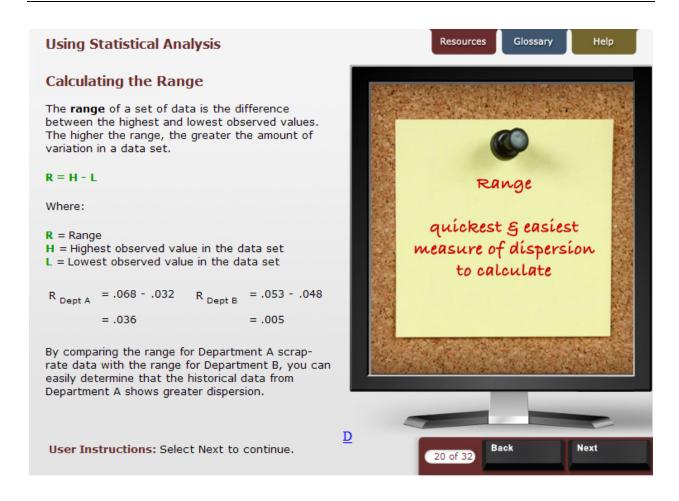


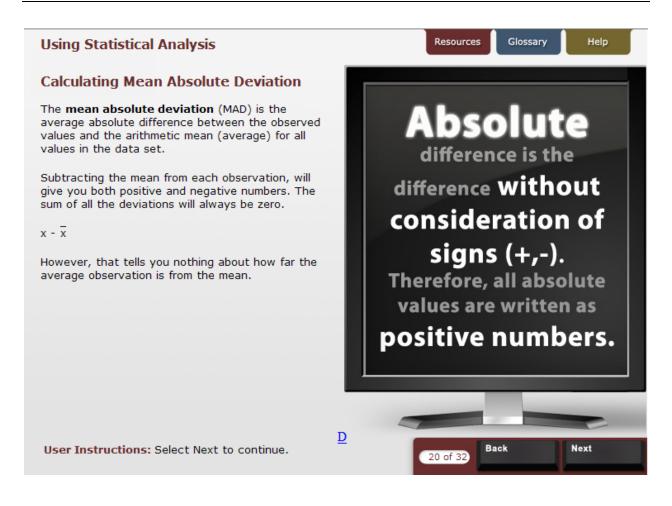


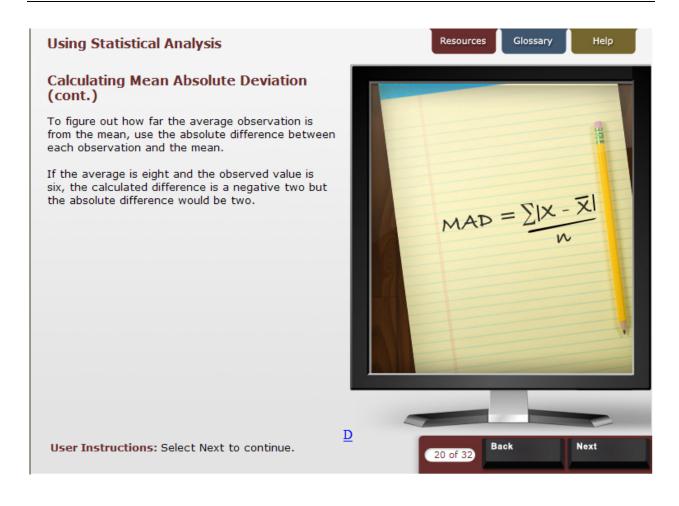


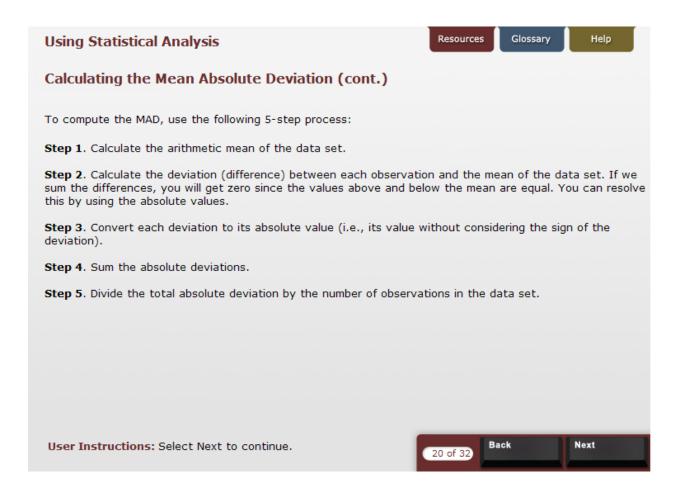












Using Statistical Analysis

Resources Glossary Help

Calculating the Mean Absolute Deviation (cont.)

We can use the 5-step process described in the previous screen to calculate the scrap-rate MAD values for Departments A and B of the scrap-rate example.

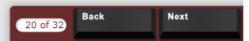
Calculate the MAD for Department A:

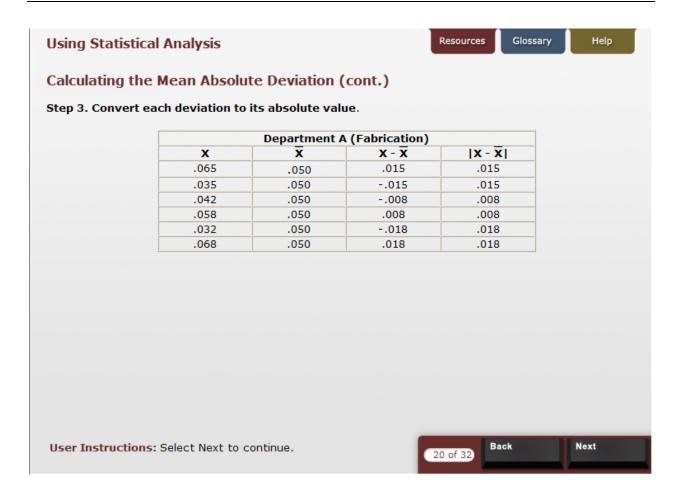
Step 1. Calculate the arithmetic mean of the data set. You have already calculated the mean rate for Department A of the scrap-rate example -- .05.

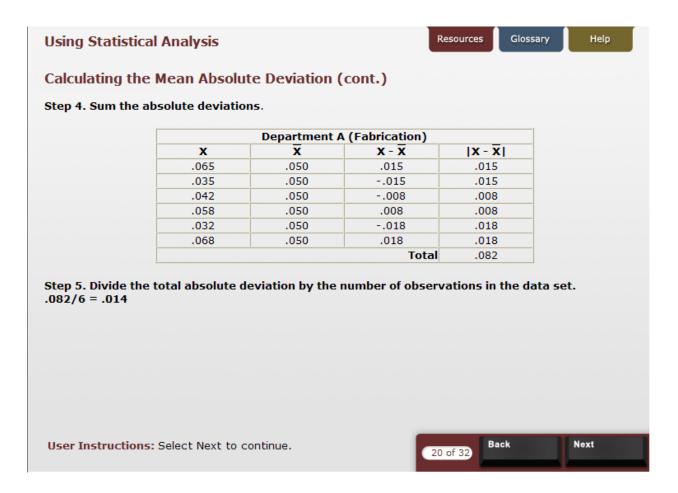
Step 2. Calculate the deviation (difference) between each observation and the mean of the data set.

Department A (Fabrication)			
x	x	x - x	
.065	.050	.015	
.035	.050	015	
.042	.050	008	
.058	.050	.008	
.032	.050	018	
.068	.050	.018	

User Instructions: Select Next to continue.







Help

Using Statistical Analysis Calculating the Mean Absolute Deviation (cont.) Calculate the MAD for Department B:

Step 1. Calculate the arithmetic mean of the data set. We have also calculated the mean rate for Department B of the scrap-rate example -- .05.

Steps 2 - 4. Calculate the deviation between each observation and the mean of the data set; convert the deviation to its absolute value; and sum the absolute deviations. The following table demonstrates the three steps required to calculate the total absolute deviation for Department B:

Department B (Assembly)				
X	X	x - x	x - x	
.050	.050	.000	.000	
.048	.050	002	.002	
.052	.050	.002	.002	
.053	.050	.003	.003	
.048	.050	002	.002	
.049	.050	001	.001	
		Total	.010	

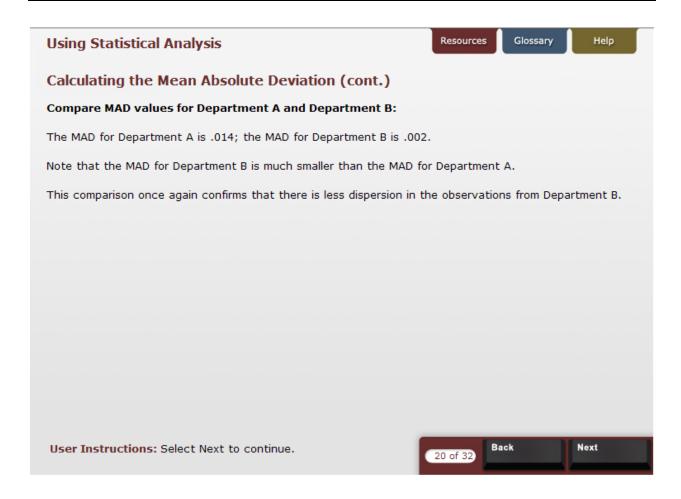
Step 5. Divide the total absolute deviation by the number of observations in the data set. .010/6 = .002

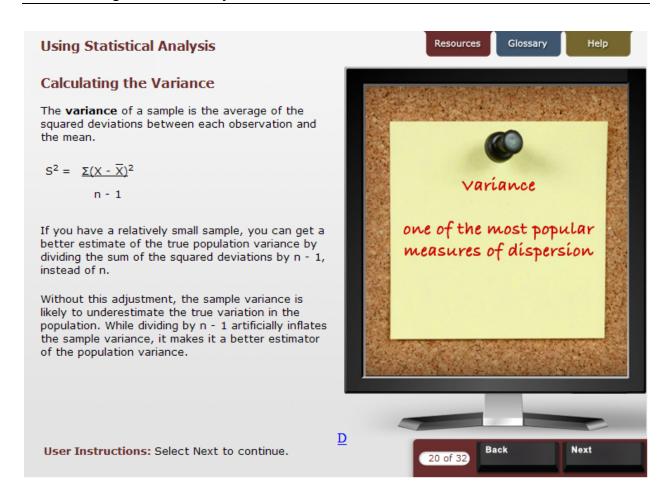
User Instructions: Select Next to continue.

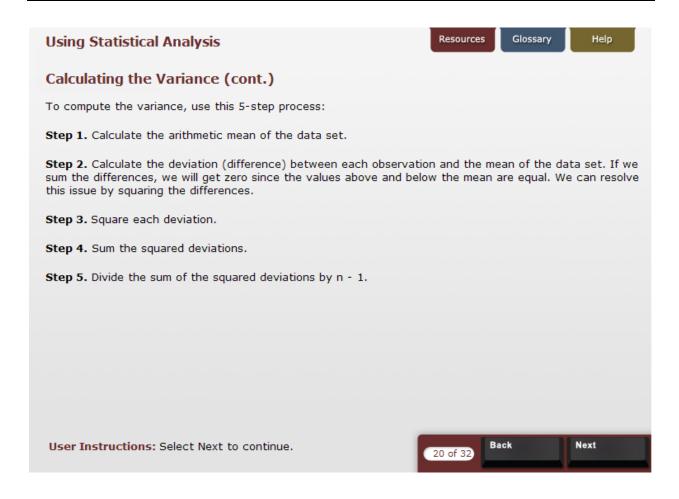


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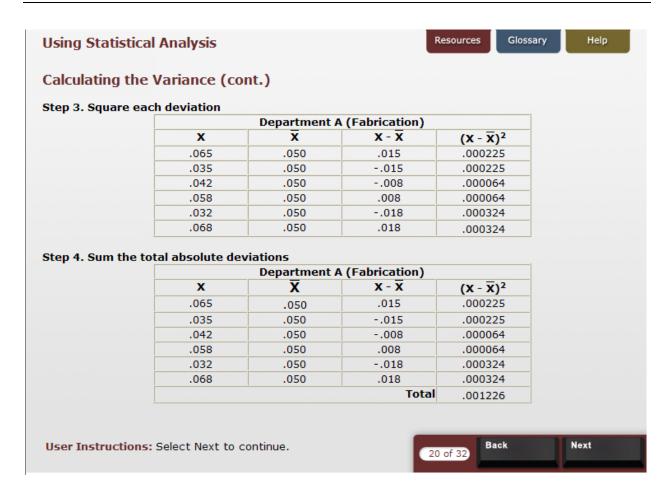
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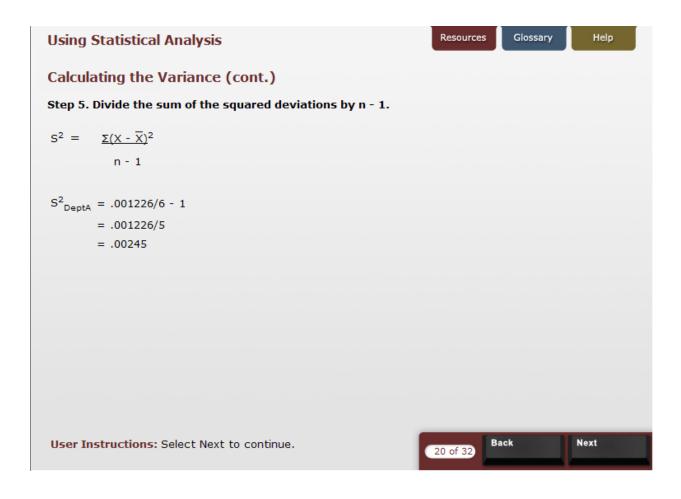




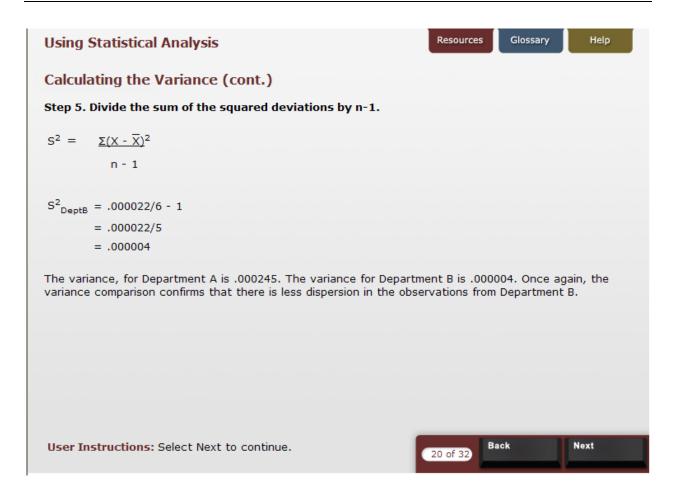


Resources Glossary Help **Using Statistical Analysis** Calculating the Variance (cont.) Calculate the variance for Department A: Step 1. Calculate the arithmetic mean of the data set. We have already calculated the mean rate for Department A of the scrap-rate example -- .05. Step 2. Calculate the deviation (difference) between each observation and the mean of the data set $(x - \overline{x})$. The deviations for Department A are the same as we calculated in calculating the mean absolute deviation. Department A (Fabrication) x - x $\overline{\mathbf{x}}$ Х .065 .050 .015 -.015 .035 .050 -.008 .050 .042 .058 .050 .008 .032 .050 -.018 .068 .050 .018 Back Next User Instructions: Select Next to continue. 20 of 32





Glossary Help Resources **Using Statistical Analysis** Calculating the Variance (cont.) Calculate the variance for Department B Step 1. Calculate the arithmetic mean of the data set. We have also calculated the mean rate for Department B of the scrap-rate example -- .05. Steps 2 - 4. Calculate the deviation between each observation and the mean of the data set; convert the deviation to its absolute value; and sum the absolute deviations. The following table demonstrates the three steps required to calculate the total absolute deviation for Department B: Department B (Assembly) X $\overline{\mathbf{x}}$ x - x $(X - \overline{X})^2$.050 .050 .000 .000000 .000004 .048 .050 -.002 .052 .050 .002 .000004 .053 .050 .003 .000009 .048 .050 -.002 .000004 .049 .050 -.001 .000001 Back Next User Instructions: Select Next to continue. 20 of 32





Glossary Resources Help **Using Statistical Analysis Calculating the Standard Deviation** You can eliminate the concerns about using variation as a measure of dispersion by using standard deviation - the square root of the variance. $S = \sqrt{S^2}$ Because all values are squared, a single observation that is far from the mean can substantially affect both the variance and the standard deviation. The standard deviation for Departments A and B of the scrap-rate example yields a standard deviation of .015652 for Department A, and .002000 for Department B. The standard deviation is the average estimating error. For Department A, it tells you if you could be off by 1.6%. The greater the standard deviation, the more risk involved in forecasting. Note: Both the variance and the standard deviation give increasing weight to observations that are further away from the mean. Because all values are squared, a single observation that is far from the mean can substantially affect both the variance and the standard deviation. User Instructions: Select Next to continue. Back Next 20 of 32

